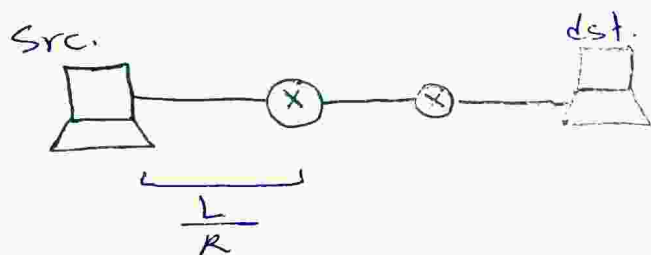


Sheet 1

2) equation 1.1 gives formula for end-to-end delay of sending one packet of length L over N links of transmission rate R . Generalize this formula for sending P such packets Pack-to-Pack over N -links.

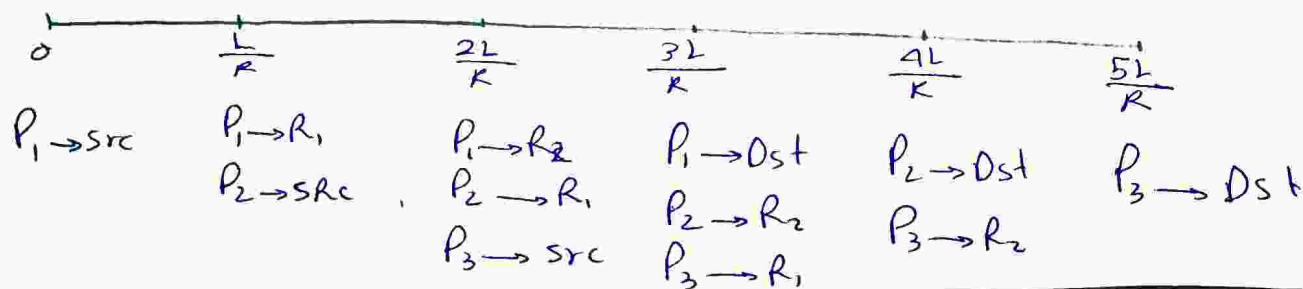
$$d_{\text{end-to-end}} = N \frac{L}{R}$$



Generalize for (P) packets

$$d = (N + P - 1) \frac{L}{R}$$

↗
Zero index



[3] Consider app transmits data at steady ~~state~~ ^{rate} (for ex, sender generates N -bit unit of data every K -time units), $K \rightarrow$ small, & fixed) Also when such an app starts, it will continue running for a relatively long period of time, Answer the following briefly.

a) Would that packet-switched or circuit switched is appropriate for this app? why?

↳ circuit switched, it requires long time and sends at fixed rate.

b) Suppose that ~~this~~ packet-switched used ~~for~~ and only traffic in this network comes from such apps. as described above & assume that sum of app. data rates less than capacities of each and every link. Is some form of congestion control needed? why?

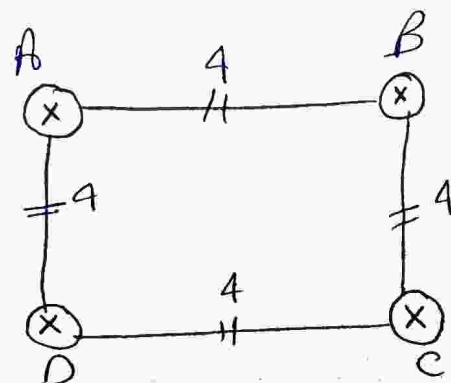
↳ no need for congestion control, since the data rate is less than the capacity

④ Consider circuit-switched in Figure 1-13 Recall that there are 4 circuits on each link, label the four switches A, B, C, D going in clockwise direction

a) What is maximum number of simultaneous connections that can be in progress at any one time in this network?

↳ $4 \times 4 = 16$ Connection

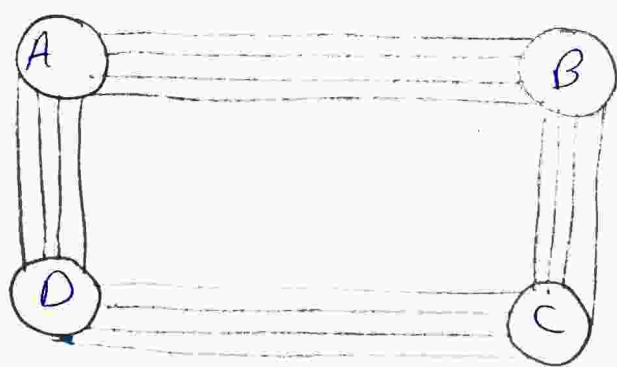
②



b) suppose that all connections between A, C, what is maximum number of simultaneous connections that can be in progress?

→ 8 ⇒ 4 for ABC & 4 ADC

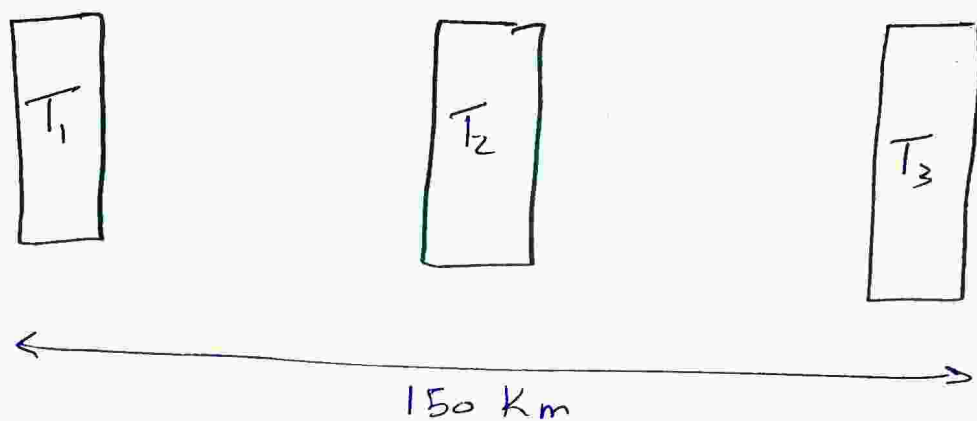
c) suppose we want to make four connections between switches A, C and another four connections between B, D; Can we route these calls through the four links to accommodate all eight connections?



2 ABC + 2 ADC
2 BCD + 2 BAD

5] review the car-caravan analogy in section 1.4. Assume propagation speed of 100 km/hour.

a) suppose caravan travels 150 km, beginning in front of one ~~the~~ tollbooth, passing through a second tollbooth, and finishing just after ~~the~~ a third tollbooth. What is end-to-end delay?



$$d_{\text{end-to-end}} = 3 d_{\text{proc}} + 2 d_{\text{prop}}$$

$$= 3 \times 12 \times 10 + 2 \times \frac{75000 \text{ m}}{100000 \text{ m/hr}} = 96 \text{ min.}$$

no. of cars

b) repeat a, if no. of ~~car~~ cars is 8 instead of 10.

$$d = 3 \times 12 \times 8 + 2 \times \frac{75000 \text{ m}}{100000 \text{ m/hr}} = 94.8 \text{ min}$$

[6] elementary problem begins to explore Propagation delay and transmission delay, two central concepts in data networking. Consider 2 hosts (A, B) connected by single link of rate R bps. Suppose that A, B are separated by m meters and Propagation speed along the link is s meters/s. A is to send packet of size L bits to Host B.

a) Express Propagation delay in terms of m, s

$$d_{\text{prop.}} = \frac{m}{s} \quad (\text{sec})$$

(4)

b) Express transmission time in terms of L & R .

$$d_{\text{trans.}} = \frac{L}{R} \text{ (sec)}$$

c) Ignore process and queue delay, obtain end-to-end delay

$$d_{\text{end-to-end}} = d_{\text{trans.}} + d_{\text{prop}} = \frac{M}{S} + \frac{L}{S} \text{ (Sec)}$$

d) Suppose A begins to transmit packet at time ($t=0$) At time $= d_{\text{trans}}$ where is last bit of packet?

↳ Last bit is put on link after finishing transmission.

e) Suppose $d_{\text{prop}} > d_{\text{trans}}$ at $t = d_{\text{trans}}$ where is 1st bit of packet?

↳ by the time trans. finishes, 1st bit still be on link towards Host B.

f) Suppose $d_{\text{prop}} < d_{\text{trans}}$ at ($t = d_{\text{trans}}$) where is 1st bit?

↳ It should reach host B before $t = d_{\text{trans}}$.

g) Suppose $S = 2.5 \times 10^8$, $L = 120$ bits & $R = 56$ Kbps Find distance m if $d_{\text{trans}} = d_{\text{prop}}$

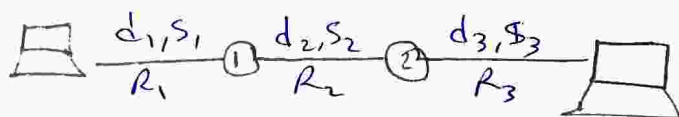
$$d_{\text{trans.}} = d_{\text{prop}}$$

$$\frac{L}{R} = \frac{M}{S} \Rightarrow M = \frac{SL}{R} = \frac{2.5 \times 10^8 \times 120}{56000}$$

$$M = 536 \text{ Km.}$$

10 Consider packet of length L which begins at end system A and travels over three links to a destination end system. three links connected by two packet switches. let d_i, s_i, R_i denote length, propagation speed and transmission rate of link i ($i=1,2,3$). Packet switch delays each packet by d_{proc} . Assuming no queuing delays (in terms of d_i, s_i, R_i what is total end-to-end delay for packet?

suppose now packet is 1,500 bytes, propagation speed on all three links is 2.5×10^8 m/s, transmission rate of all 2 Mbps. $d_{proc} = 3$ msec, $L_1 = 5000$ Km, $L_2 = 4000$ Km, $L_3 = 1000$ Km. what is end-to-end delay?



$$d_{\text{end-to-end}} = d_{\text{proc}_1} + d_{\text{proc}_2}$$

$$= \underbrace{\frac{L}{R_1} + \frac{L}{R_2} + \frac{L}{R_3}}_{\text{trans.}} + \underbrace{\frac{d_1}{s_1} + \frac{d_2}{s_2}}_{\text{prop}}$$

with values substitute in previous ex.

$$d_{\text{end-to-end}} = 64 \text{ ms}$$

6

⑪ In the above problem assume that $R_1 = R_2 = R_3 = R$ and $d_{proc} = 0$. Further suppose packet switch does not store-and-forward packets but instead immediately ~~transmits~~ transmits each bit it receives before waiting for entire packet to arrive. What is end-to-end?

$$d_{proc,1} = d_{proc,2} = 0$$

$$\text{immediate transmission} \Rightarrow \frac{L}{R_2} = \frac{L}{R_3} = 0$$

$$\begin{aligned} \text{end-to-end} &= \frac{d_1}{S_1} + \frac{d_2}{S_2} + \frac{L}{R} \text{ "1st host"} + \frac{d_3}{S_3} \\ &= \frac{5 \times 10^6}{2.5 \times 10^8} + \frac{4 \times 10^6}{2.5 \times 10^8} + \frac{10^6}{2.5 \times 10^8} + \frac{1500 \times 8}{2 \times 10^6} = 46 \text{ ms} \end{aligned}$$

[12] Packet switch receives packet and determines outbound ~~packet~~^{link} to which packet should forward. When the packet arrives, one other packet is halfway done being transmitted on this outbound link and 4 other packets are waiting to be transmitted. Packet transmitted in order of arrival. Suppose all packets are 1500 bytes and link rate is 2 Mbps. What is queuing delay? (باق السال الفهره القاسه) ⑦

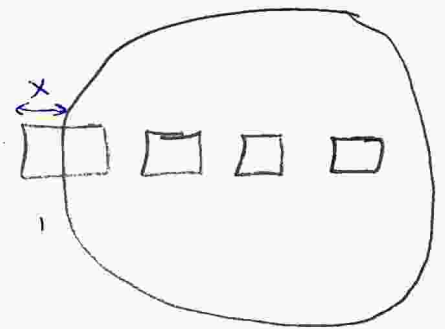
more generally, what is queuing delay when packets have length L , transmission rate R , x bits of currently being transmitted packet have been transmitted, and n packets already in queue?

$$d_{\text{queue}} = \frac{nL}{R} + \frac{L-x}{R}$$

$$n=4, L=1500 \times 8 \text{ bit}, R=2 \text{ Mbps}$$

$$x = 750 \times 8 \text{ bit}$$

$$d = 27 \text{ ms}$$

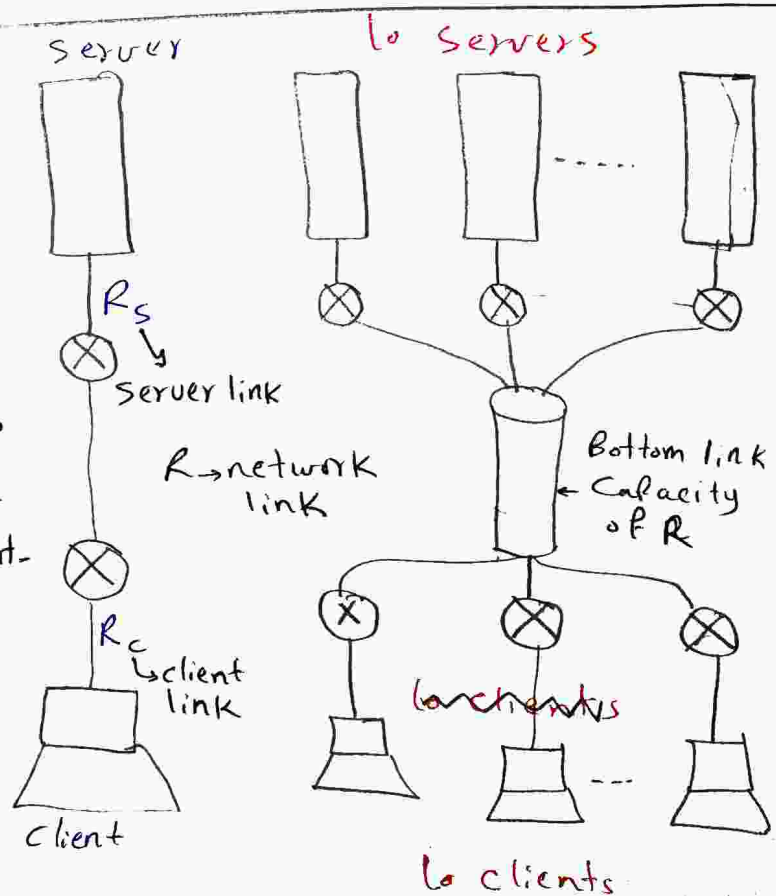


20) in this shape

suppose we have M clients instead of 10

And all other links have abundant capacity and no traffic in network beside traffic generated by M client-server pairs. Derive

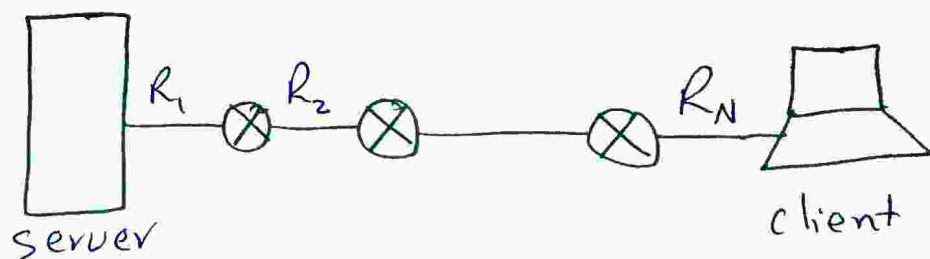
General expression for throughput in terms of R_c, R_s, R, M



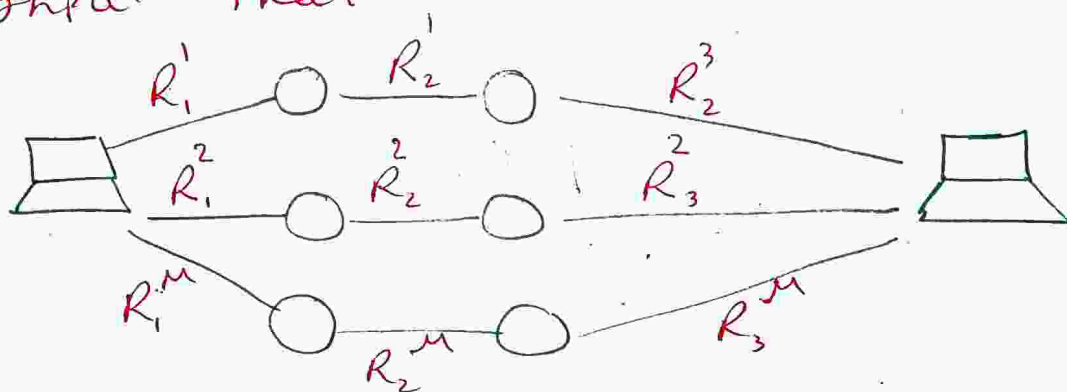
$$\text{Throughput} = \min \left\{ R_s, R_c, \frac{R}{m} \right\}$$

21

For this Fig.



Suppose there are M paths between server, client
no two paths share any link. Path K ($K=1, \dots, M$)
consists of N links with transmission rates $R_1^K, R_2^K, \dots, R_N^K$
a) if server can only use one path to send data to client, what is the Max. throughput that server can achieve?

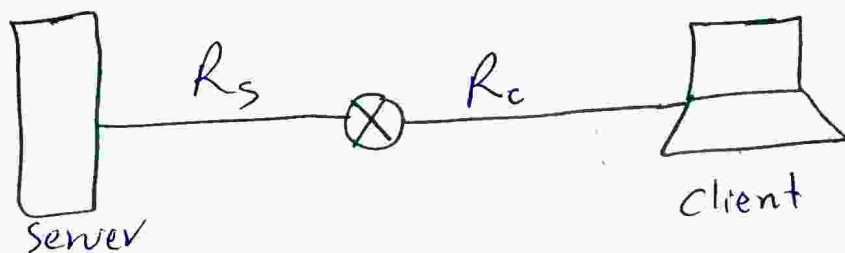


$$\text{Max throughput} = \max \left\{ \begin{aligned} &\min \{ R_1^1, R_2^1, \dots, R_N^1 \}, \\ &\min \{ R_1^2, R_2^2, \dots, R_N^2 \}, \\ &\dots \\ &\min \{ R_1^M, R_2^M, \dots, R_N^M \} \end{aligned} \right.$$

b) if server can use M paths to send data,
Derive general expression for throughput in
terms of R_s, R_c, R, M

$$= \sum_{K=1}^M \min \{ R_1^K, R_2^K, \dots, R_N^K \}$$

(23)



Assume we know the bottleneck link along path from server to client is first link with rate R_s bits/sec, suppose we send pair of packets back to back ~~from~~ ^{from} server to client, no traffic on that path. Assume each packet of size L bits, both links have same d_{prop} .

a) what is the packet inter-arrival time at the destination? That is how much time elapses from when last packet arrives until last bit of second packet arrives?

↳ this is transmission delay

$$\text{inter-arrival time} = \frac{L}{R_s}$$

b) assume 2nd link is bottleneck ($R_c < R_s$)

is it possible that 2nd packet queues at input queue of 2nd link? explain

↳ It is possible for 2nd packet to queue if

$$\frac{L}{R_s} + \frac{L}{R_s} + d_{prop} < \frac{L}{R_s} + \frac{L}{R_c} + d_{prop}$$

المدة التي تستغرقها الحزمة الأولى في الوصول إلى الوجهة < المدة التي تستغرقها الحزمة الثانية في الوصول إلى الوجهة (10)

→ Suppose queuing not to happen and server send 2nd packet T seconds after sending 1st packet. How large must T be?

$$\frac{2L}{R_s} + d_{\text{prop}} + T \geq d_{\text{prop}} + \frac{L}{R_s} + \frac{L}{R_c}$$

$$T \geq \frac{L}{R_c} - \frac{L}{R_s}$$

②④ Suppose you would like to urgently deliver 40 terabytes data from Boston to Los Angeles. You have available a 100 Mbps dedicated link for data transfer. Would you prefer to transmit data via this link or instead use FedEx over-night delivery? Explain

↳ FedEx over-night delivery

for 100 Mbps link

$$\text{Transfer time} = \frac{4 \times 10^{12} \times 8}{100 \times 10^6} \approx 32000000 \text{ s}$$

≈ 37 days.

↳ it will be better choice.

①①